2. NISQ Hardware Dr. Stefano Gogioso







NISQ = Noisy Intermediate-Scale Quantum

• **Noisy:** high error rate in computations

• Intermediate-scale: few 100s of qubits

Coherence times: Relaxation and Dephasing

-		
Details		
27	Status: • Online	Avg. CNOT Error: 8.373e-2
Qubits	Total pending jobs: 95 jobs	Avg. Readout Error: 3.261e-2
128	Processor type (i): Falcon r5.1	Avg. T1: 127.32 us
QV	Version: 1.6.6	Avg. T2: 102.82 us
1.91	Basis gates: CX, ID, RZ, SX, X	Providers with access:
	Your usage:	Supports Qiskit Runtime: Yes

Exploratory

ibmg mumbai



Relaxation and dephasing over 420µs, the approximate time it takes to execute a circuit with 1000 sequential CX gates.

A 2022 paper by D-Wave, benchmarking the coherence times for their superconducting qubits by measuring the density of "kinks" that form in the (anti-)ferromagnetic regime as a function of the annealing time.

https://arxiv.org/abs/2202.05847





IBM Quantum Roadmap



https://research.ibm.com/blog/ibm-quantum-roadmap-2025

IonQ Quantum Roadmap



1 Algorithmic qubits defined as the effective number of qubits for typical algorithms, limited by the 2Q fidelity

2 Employs 16:1 error-correction encoding

3 Employs 32:1 error-correction encoding

https://ionq.com/posts/december-09-2020-scaling-quantum-computer-roadmap

Quantinuum Roadmap



https://www.quantinuum.com/products/h1



A1 Bernstein-Vazirani: Superconductor







B1 Bernstein-Vazirani: Ion Trap



B2 Hidden shift: Ion Trap



A 2017 paper comparing the noise of 5-qubit superconducting vs iontrap architectures on some small circuits of interest.

https://arxiv.org/abs/1702.01852

Table 1. Single- and 2-qubit gate counts for the circuits on the superconducting (star-shaped) and the ion-trap (fully connected) system after mapping to the respective hardware using the respective gate libraries

Connectivity	St	tar	LI	NN	Fu	ll
Hardware	Superco	nductor	Superco	onductor	lon	Trap
Gate type	1-qubit	2-qubit	1-qubit	2-qubit	1-qubit	2-qubit
Margolus	20	3	20	3	11	3
Toffoli	17	10	9	10	9	5
Bernstein–Vazirani	10	0–4	10	0–10	14–26	0–4
Hidden shift	28–34	10	20–26	4	42–50	4
QFT-3	42	19	11	7	8	3
QFT-5	*	*	35	28	22	10



Above: 2 qubits (2016-06). Below: 4 qubits (2019-01).



Three papers showing the evolution of Rigetti hardware in 2017-2019:

https://arxiv.org/abs/1706.06562 https://arxiv.org/abs/1901.08042 https://arxiv.org/abs/1908.11856

Below: 16 qubits (2019-08)



A paper about on-chip quantum optics in 2019 (4 qubits).

https://arxiv.org/abs/1911.07839











The 2019 Google "quantum supremacy" paper.

https://www.nature.com/articles/s41586-019-1666-5



Average error	Isolated	Simultaneous
Single-qubit (e ₁)	0.15%	0.16%
Two-qubit (e ₂)	0.36%	0.62%
Two-qubit, cycle (e _{2c})	0.65%	0.93%
Readout (e _r)	3.1%	3.8%



The 2019 Google "quantum supremacy" paper.

https://www.nature.com/articles/s41586-019-1666-5



The 2019 Google "quantum supremacy" paper.

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The 2019 Google "quantum supremacy" paper claims that it would take 10k years to simulate their 53-qubits 20-cycle circuits on a supercomputer.





(a) Sycamore



(b) 10x10x(1+40+1)

100



(c) Zuchongzhi

Tensor contraction techniques actually allow the Quantum Supremacy circuits to be simulated on supercomputers in a few minutes.

https://arxiv.org/abs/2107.09793 https://arxiv.org/abs/2110.14502





	Circuit	Slices	Max Size	Time (s)
-	Syc-53-m20	2^{25}	2.7×10^8	$3.5 imes 10^1$
/	Syc-53-m20	0	$9.0 imes 10^{15}$	$1.6 imes 10^1$
	GBS-444-m1	4^{14}	6.7×10^7	$3.6 imes 10^2$
	GBS-444-m1	0	4.4×10^{12}	1.7×10^{-1}
	GBS-666-m1	0	$7.9 imes 10^{28}$	$2.1 imes 10^{14}$



Tradition of the second s			
Time needed to sample Sycamore			
our simulation	304 seconds		
physical Sycamore [1]	200 seconds		
Summit[1]	10,000 years		
Summit[25]	2.55 days (estimated)		
Ali_Cloud[14]	19.3 days (estimated)		
60_GPUs(Pan)[23]	5 days		

IBM uses a metric known as Quantum Volume (QV) to benchmark their quantum computers.

https://arxiv.org/abs/1811.12926

By its definition, the metric appears to grow exponentially: the interesting quantity is $\log_2(QV)$, the size of the largest "square" circuit which generates enough "heavy outputs".



To define when a model circuit U has been successfully implemented in practice, we use the heavy output generation problem [19]. The ideal output distribution is

$$U_U(x) = |\langle x|U|0\rangle|^2,$$

(2)

where $x \in \{0, 1\}^m$ is an observable bit string. Consider the set of output probabilities given by the range of $p_U(x)$ sorted in ascending order $p_0 \leq p_1 \cdots \leq p_{2^m-1}$. The median of the set of probabilities is $p_{\text{med}} = (p_{2^{(m-1)}} + p_{2^{(m-1)}-1})/2$ and the heavy outputs are

$$H_U = \{x \in \{0, 1\}^m \text{ such that } p_U(x) > p_{\text{med}}\}.$$
 (3)

The heavy output generation problem is to produce a set of output strings such that more than two-thirds are heavy.

Algorithm 1. Check heavy output generation. function ISHEAVY($m, d; n_c \ge 100, n_s$) $n_h \leftarrow 0$ for n_c repetitions do $U \leftarrow$ random model circuit, width m, depth d $H_U \leftarrow$ heavy set of U from classical simulation $U' \leftarrow$ compiled U for available hardware for n_s repetitions do $x \leftarrow$ outcome of executing U'if $x \in H_U$ then $n_h \leftarrow n_h + 1$ return $\frac{n_h - 2\sqrt{n_h(n_s - n_h/n_c)}}{n_c n_s} > \frac{2}{3}$ We define the quantum volume V_Q as $\log_2 V_Q = \operatorname{argmax} \min(m, d(m))$

and take this definition going forward.

Name	Qubits	QV
🔒 ibmq_montreal	27	128
ibmq_mumbai Exploratory	27	128
🔒 ibm_cairo	27	64
ibm_auckland Exploratory	27	64
🔒 ibmq_toronto	27	32
🔒 ibmq_guadalupe	16	32
ibm_perth	7	32
ibm_lagos	7	32
🔒 ibm_nairobi	7	32
ibmq_jakarta	7	16
ibmq_manila	5	32
ibmq_bogota	5	32
ibmq_santiago	5	32
ibmq_quito	5	16
ibmq_belem	5	16
ibmq_lima	5	8

A 2020 paper verifying QV 64 (i.e. HOP > $\frac{2}{3}$ on 6 qubits with depth d = 6) to a confidence of 2σ for the 27-qubit device IBMQ Montreal (currently at QV 128).

b)

20

9

R6

R4

R2

https://arxiv.org/abs/2008.08571







а

С

Success probability

A 2020 lonQ paper benchmarking an 11-qubit ion trap.





A 2022 Quantinuum paper benchmarking State Preparation And Measurement (SPAM) fidelity in their ion trap quantum computers, using two optical pumping techniques (MAOP and NBOP) to reduce state preparation errors to around 0.1%, the approximate threshold for some interesting error correction schemes.

https://arxiv.org/abs/2203.01920



Error SourceError $(\times 10^{-5})$ $ 0\rangle$ State preparation <9.1 $ 0\rangle \rightarrow 1\rangle$ transfer $ 5.4 \pm 0.5$ Shelving infidelity ~ 0.1 $D_{5/2}$ decay ~ 1.5 Correlated errors 4.0 $0.1 \leftarrow 1.5$				
$\begin{array}{ c c c c c c c c c c c c c c c c c c c$	Error Sourco	Error $(\times 10^{-5})$		
$\begin{array}{ c } 0\rangle \text{ state preparation} & <9.1 &\\ 0\rangle \rightarrow 1\rangle \text{ transfer} & -& 5.4 \pm 0.5\\ \hline \text{Shelving infidelity} & \sim 0.1 &\\ \hline D_{5/2} \text{ decay} & \sim 1.5 &\\ \hline \text{Correlated errors} & 4.0 &\\ \hline \end{array}$		$ 0\rangle$ State	$ 1\rangle$ State	
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$\left 0 \right\rangle$ state preparation	< 9.1		
Shelving infidelity ~ 0.1 — $D_{5/2}$ decay ~ 1.5 —Correlated errors 4.0 —Collected errors 4.0 —	$ 0\rangle \rightarrow 1\rangle$ transfer		5.4 ± 0.5	
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	Shelving infidelity	~ 0.1		
$\begin{array}{c c c c c c c c c c c c c c c c c c c $	$D_{5/2}$ decay	~ 1.5		
	Correlated errors	4.0		
Subtotal (measured) $14.7 \pm 2.4 4.2 \pm 1.3$	Subtotal (measured)	14.7 ± 2.4	4.2 ± 1.3	
Total (measured) 9.6 ± 1.4	Total (measured)	$9.6 \pm$: 1.4	

On the right: vertical bar is the threshold separating the $|0\rangle$ and $|1\rangle$ states. Histogram of $|0\rangle$ state preparation in orange, histogram of $|1\rangle$ state preparation in blue.

A 2022 paper benchmarking highly entangled GHZ states on 6 qubits in a neutral atom quantum computer.

https://www.nature.com/articles/s41586-022-04603-6



2020 paper introducing an error mitigation library for NISQ computations.

https://arxiv.org/abs/2009.04417



A 2021 error mitigation paper by IBM. Noise scaling is used to extrapolate noise profiles, dynamical decoupling to reduce dephasing, Pauli twirling to average-out coherent errors and native decomposition to reduce the total circuit execution time (and hence the noise).

https://arxiv.org/abs/2108.09197



Below: simulation error for quench dynamics of 2D Ising spin lattices, as a function of size and number of simulation steps. Standard technique (left) versus error mitigation (right).



A 2021 Rigetti paper benchmarking entanglement in a multi-chip quantum processor.

https://arxiv.org/abs/2102.13293



a)





Bell test across 4 chips: W above 2 => entanglement.

IBM proposals for multi-chip quantum processors

https://research.ibm.com/blog/ibm-quantum-roadmap-2025

